



This table shows basic electrical formulas used to find voltage, current, resistance, power, and energy, helping analyse and design electrical circuits.

$(V = \frac{WQ})$	V= Electric Potential, Q= Charge, W= Electric potential energy
$(I = \frac{qt = \frac{n e}{t}})$	I = Current, q = Charge, t = time, n = number of electrons, $(e = -1.6 \times 10^{-19})$
$(I = n e A v_d)$	n = number of electrons per unit volume, $(e = -1.6 \times 10^{-19})$, A= area of cross-section of the wire, (v_d) = drift velocity of free electrons
$(R = \rho \frac{l}{A})$	R= Resistance , (ρ) =Resistivity or specific resistance, l= length, A= cross-section area
$(G = \frac{1}{R})$	G= Conductance, R= Resistance
$(R_1 = R_0(1 + \alpha_0 t_1))$	A metallic conductor having resistance (R_0) at $(0^{\circ}C)$ and (R_1) at $(t_1^{\circ}C)$, $(\alpha_0 =)$ Temperature coefficient of resistance at $(0^{\circ}C)$
$(\alpha_1 = \frac{\alpha_0}{1 + \alpha_0 t_1})$	(α_1) = Temperature coefficient of resistance at $(t_1^{\circ}C)$ (α_0) = Temperature coefficient of resistance at $(0^{\circ}C)$
$(R_2 = R_1[1 + \alpha_1(t_2 - t_1)])$	Conductor having resistance (R_2) at $(t_2^{\circ}C)$ and (R_1) at $(t_1^{\circ}C)$, (α_1) = Temperature coefficient of resistance at $(t_1^{\circ}C)$
$(V = IR)$	V= Potential Difference, I= Current, R= Resistance
$(P = VI = I^2 R = \frac{V^2}{R})$	P= Electric Power, V= Potential Difference, I= Current, R= Resistance
$(W = Pt = I^2 R t = \frac{V^2 t}{R})$	W= Electrical energy consumed, P= Electric Power, t= energy consumed time, V= Potential Difference, I= Current, R= Resistance